## About the exam

A number of questions has be asked about the exam. This hopefully captures most.

- It is a 3 -hour closed book exam on December 17
- The exam will consist of 3 questions. The first will consist of 8 questions, that randomly pick questions in the curriculum. This will be a combination of calculation-based exercises and more verbal questions. The last two are more classical exercises within the topics of the course.
- Obviously the exam (in length) will reflect that is only a 3 -hour exam
- I will in December publish a list of formulas, that you need to remember, as these will be included in the exam set
- No calculators allowed, however excel will be available
- I have been told that you can bring a dictionary
- Version of excel and word can be seen at pc-eksamen.ku.dk
- You can select an english and danish exam. I have been told, that this will also be reflected in the word and excel versions.
- Furthermore it is not certain that the solver function will be available. If this is the case, the exam questions will reflect this
- The formulas given on the next page need not be memorized - the list is somewhat shorter than last year. The formulas listed will be available, if needed. However you obviously still need to understand the formulas!


## List of important formulas

Interest definition:

$$
y(0, t)={\frac{1}{d_{t}}}^{\frac{1}{t}}-1=r_{t}
$$

Bond payment profiles:

|  | Payment $\left(c_{t}\right)$ | Interest $\left(i_{t}\right)$ | Deduction $\left(\delta_{t}\right)$ |
| :--- | :---: | :---: | :---: |
| Bullet bond | RF for $t<\tau$ | RF | 0 for $t<\tau$ |
|  | $(1+\mathrm{RF})$ for $\mathrm{t}=\tau$ |  | F for $\mathrm{t}=\tau$ |
| Serial bond | $\frac{F}{\tau}+R\left(F-\frac{t-1}{\tau} F\right)$ | $R\left(F-\frac{t-1}{\tau} F\right)$ | $\frac{F}{\tau}$ |
| Annuity | $F \alpha_{\tau\urcorner R}^{-1}$ | $R \frac{F}{\alpha_{\tau\urcorner R}} \alpha_{\tau-t+1\urcorner R}$ | $\frac{F}{\alpha_{\tau\urcorner R}}\left(1-R \alpha_{\tau-t+1\urcorner R}\right)$ |

Note: A list of $\alpha_{\urcorner}$will be provided if necessary.
CAPM:

$$
r_{i}=r_{f}+\beta\left(r_{m}-r_{f}\right)
$$

where $r_{i}$ is the return on portfolio $\mathrm{i}, r_{f}$ is the risk-free rate and $r_{m}$ is the return on the market portfolio.

Black-Scholes:

$$
\begin{aligned}
\text { call } & =S N\left(d_{1}\right)-K e^{-r_{f} t} N\left(d_{2}\right) \\
\text { put } & =K e^{-r_{f} t} N\left(-d_{2}\right)-S N\left(-d_{1}\right) \\
d_{1} & =\frac{\ln (S / K)+\left(r_{f}+\sigma^{2} / 2\right) t}{\sigma \sqrt{T}}+\frac{\sigma \sqrt{T}}{2} \\
d_{2} & =d_{1}-\sigma \sqrt{T} \\
N(d) & =\text { cumulative normal probability density function } \\
S & =\text { stock price now } \\
K & =\text { exercise price of option } \\
t & =\text { number of periods to exercise date } \\
\sigma & =\text { standard deviation (volatility) per period of stock return } \\
r_{f} & =\text { interest rate per period }
\end{aligned}
$$

Put-call parity

$$
\begin{aligned}
& c_{0}+P V(K)=p_{0}+S_{0} \\
& p_{0}=c_{0}+P V(K)-S_{0}
\end{aligned}
$$

